

* Ambiguous Ques on CAPM :-

• Type 1 :-

Given - stock price & Dividend per share }
 Market Index & Dividend yield } past data.
 R_f

→ Case 1 : Calculate Beta (CW · Q. 67] pg. 71)
 Beta Implicit

→ Case 2 : Calculate Beta & state your observation
 Beta regression (HW · Q. 29, 30, 33)

→ Case 3 : 4 part wala Q. (HW · Q. 36 · pg. 45)
 Calculate E(R) of stock }
 Calculate E(R) of mkt } same as case 1
 R_f } Beta Implicit
 β

Case 2 : Observations - Actual Return vs. Expected Return
 Action : Buy / Sell. $\hookrightarrow R_e = R_f + (R_m - R_f) \beta$

Q. 67 pg
 CW · 71

In this Q., icai requires us to calculate market implicit Beta i.e. β will be reverse calculated from SML formula $\rightarrow R_e = R_f + (R_m - R_f) \beta$

→ Step 1 : Calculation of R_m -

(a) Average Capital Gain yield i.e. CAGR

$$1768 = 1300 (1+g)^4$$

$$\therefore g = \left[\frac{1768}{1300} \right]^{1/4} - 1 = 7.99\%$$

$$\therefore g = 8\%$$

$$(b) \text{ Average Dividend yield} = \frac{3 + 5 + 5.5 + 4.75 + 5.5}{5}$$

$$= 4.75\%$$

$$R_m = \text{Capital Gain yield} + \text{Dividend yield}$$

$$= 8 + 4.75$$

$$= 12.75\%$$

→ Step 2: calculate average return on stock.

(a) Average capital Gains yield

$$g = \left[\frac{203.51}{139} \right]^{1/4} - 1 = 10\%$$

(b) Average Dividend yield

Years	Price	Dividend	Dividend yield
2010	139	7	$7/139 \times 100 = 5.035\%$
2011	147	8.5	$8.5/147 \times 100 = 5.782\%$
2012	163	9.0	$9/163 \times 100 = 5.521\%$
2013	179	9.5	$9.5/179 \times 100 = 5.307\%$
2014	203.51	10	$10/203.51 \times 100 = 4.914\%$
			26.5598

$$\therefore \text{Avg. Div. yield} = \frac{26.5598}{5} = 5.312\%$$

$$\text{Average Return on stock} = 10 + 5.312 = 15.312\%$$

→ Step 3: As per CAPM, $R_e = R_f + (R_m - R_f)\beta$

$$R_f = \frac{7 + 9 + 8 + 8 + 8}{5} = 8\%$$

$$15.312 = 8 + (12.75 - 8)\beta$$

$$\therefore \beta = 1.54$$

Q.29 Pg Beta Regression : Type 1 Case 2 wala sum :-
 HW. 42

$$\text{Return} = \frac{\text{Dividend} + \text{Price change}}{\text{Initial Price}} \times 100$$

(i) Return on stock - (y)

Year	Returns (y)
2012-13	$\frac{22 + (253 - 245)}{245} \times 100 = 12.24\%$
2013-14	$\frac{25 + (310 - 253)}{253} \times 100 = 32.41\%$
2014-15	$\frac{30 + (330 - 310)}{310} \times 100 = 16.13\%$

(ii) Return on market Index - (x)

Year	Capital Gain Yield	Div. yield	Return (x)
2012-13	$(2130 - 2013) / 2013 \times 100 = 5.81\%$	5%	10.81%
2013-14	$(2350 - 2130) / 2130 \times 100 = 10.33\%$	6%	16.33%
2014-15	$(2580 - 2350) / 2350 \times 100 = 9.79\%$	7%	16.79%

(iii) calculation of beta - (β)

Year	Mkt Return (x)	Krishna Ltd. (y)	x^2	xy
2012-13	10.81	12.24	116.86	132.31
2013-14	16.33	32.41	266.67	529.26
2014-15	16.79	16.13	281.90	270.82
	43.93	60.78	665.43	932.39

$$\bar{x} = \frac{43.93}{3} = 14.64\%$$

$$\bar{y} = \frac{60.78}{3} = 20.26\%$$

$$\beta = \frac{\sum xy - n\bar{x}\bar{y}}{\sum x^2 - n\bar{x}^2} = \frac{932.39 - 3 \times 14.64 \times 20.26}{665.43 - 3 \times 14.64^2} = 1.897$$

→ Observations :-

$$R_e = R_f + (R_m - R_f) \beta$$

Year	Actual Return	Expected as per CAPM	Action
2012-13	12.24	$6 + (10.81 - 6) \times 1.897 = 15.12$	Sell*
2013-14	32.41	$6 + (16.33 - 6) \times 1.897 = 25.60$	Buy#
2014-15	16.13	$6 + (16.79 - 6) \times 1.897 = 26.47$	Sell*

(*) sell → Bad performance → $R_e > \text{Actual return}$

(#) Buy → Good performance → $R_e < \text{Actual return}$

Self practice: HW. Q.33, Q.30] pg. 44, 43

• Type 2 :- (Total wala sum)

Security	Cost	Dividend / Interest	Market Price	β
A	xx	xx	xx	xx
B	xx	xx	xx	xx
C	xx	xx	xx	xx
G. Sec.	xx	xx	xx	xx
	xxx	xxx	xxx	xxx

↑
 β

$$R_m = \frac{\text{Dividend} + \text{Appreciation}}{\text{Total cost}}$$

$$\beta_p = \text{simple avg.}$$

① $R_f = ??$, $R_p = xx$... given

Expected Return for each security = ?? (Average return)

② $R_f = xx$... given

$$\text{Calculate } E(R_p) \rightarrow R_e = R_f + (R_m - R_f) \beta$$

Average Return on portfolio → simple average.

Q. 61 Pg Type 2 : Total wala sum
 CW. 69

Shares	Cost (₹)	Dividend	Market Price	Beta
A	30000	5000	33000	0.7
B	40000	4000	42000	0.9
C	20000	2000	23000	0.8
D	15000	2250	14000	1.1
G. Bond	50000	5000	52000	1.0
	155000	18250	164000	4.5

$$\text{Return on market portfolio (Rm)} = \frac{18250 + (164000 - 155000)}{155000} \times 100$$

$$= 17.58\%$$

$$\left[R_m = \frac{\text{Dividend} + \text{Appreciation}}{\text{Investment}} \times 100 \right]$$

$$\text{Simple Avg. Beta of Portfolio } (\beta_p) = \frac{4.5}{5} = 0.90$$

Given : $R_p = 14\%$

As per CAPM, $R_p = R_f + (R_m - R_f)\beta$

$$14 = R_f + (17.58 - R_f) 0.90$$

$$R_f = -18.22 \quad \dots \text{sum wrongly designed}$$

Expected Return of each Investment :-

Shares	Beta	Expected Return ($R_e = R_f + (R_m - R_f)\beta$)
A	0.7	$-18.22 + (17.58 + 18.22) 0.7 =$
B	0.9	$-18.22 + (17.58 + 18.22) 0.9 =$
C	0.8	$-18.22 + (17.58 + 18.22) 0.8 =$
D	1.1	$-18.22 + (17.58 + 18.22) 1.1 =$
G. Bond	1.0	$-18.22 + (17.58 + 18.22) 1.0 =$

self practice : HW. Q. 36) pg. 45